

＜基本演算例＞

- ★小数モード $3.1 \times 2.5 \div 2 = 3.875$ $312 \times 258 = 8.0496 \times 10^4$ (指数表示)
- ★分数モード $3.1 \times 2.5 \div 2 = \frac{31}{8}$ (仮分数表示) $3.1 \times 2.5 \div 2 = 3\frac{7}{8}$ (帯分数表示)
- ★表示精度の指定 $3.12949846 \times 2.58641157 = 8.0942$ (5桁)
 $3.12949846 \times 2.58641157 = 8.09417102524118$ (15桁)
 $3.12949846 \times 2.58641157 = 8.09$ (小数点以下2桁)
 $3.12949846 \times 2.58641157 = 8.09417$ (小数点以下5桁)
- ★演算記号の選択 $3.1 \times 2.5 \div 4.5 + 8.9 = 10.62222222$ $3.1 * 2.5 / 4.5 + 8.9 = 10.62222222$
- ★大きい数もOK! $123456789123456789123456789 \times 234567890234567890234567890$
 $= 28958998559823207090687415563633627032769418501905210$
 $1234560000000000 \times 2345670000000000 = 2.895870355 \times 10^{30}$
 $2^{100} = 1267650600228229401496703205376$
- ★分数計算
 連分数も可 $\frac{1}{3} \times [3 + 3 \times \{ \frac{3}{4} \times (\frac{\frac{3}{17} + 3}{13} - \frac{7\frac{1}{3}}{12}) + 6 \}] = 6\frac{3845}{5304}$ (固定カッコ)
 $\frac{1}{3} \times \left[3 + 3 \times \left\{ \frac{3}{4} \times \left(\frac{\frac{3}{17} + 3}{13} - \frac{7\frac{1}{3}}{12} \right) + 6 \right\} \right] = 6\frac{3845}{5304}$ (可変カッコ)
- ★指数計算 $5.3^{0.004} = 1.006693127$ $5.3^{-0.34} = 0.567213037113908$
- ★ルート記号を含む計算 $2\sqrt{3} + 5\sqrt{7} \times \sqrt[3]{120 + 4\sqrt{256}} = 69.43102851$ (近似解)
 $\sqrt{2} + 5\sqrt{8} = 11\sqrt{2}$ $\sqrt{2} \times 3\sqrt{2} + \sqrt{5} \times \sqrt{3} = \sqrt{15} + 6$ (厳密解)
- ★基数表現 $(111000)_2 + (101011)_2 = (1100011)_2$ $(7777)_8 + (2011)_8 = (12010)_8$
 $(FFF)_{16} - (11A)_{16} = (EE5)_{16}$ $16 \times 16 = 256 = (100000000)_2 = (400)_8 = (100)_{16}$
- ★度分秒表示 $30^\circ 45' 22'' + 40^\circ 55' 49'' = 71^\circ 41' 11''$ (度分秒) $\sin^{-1} 0.8 = 53^\circ 08'$ (度分)
 $\sin^{-1} 0.8 = 53^\circ 07' 48'' 37$ (度分秒、秒の小数点以下2桁) $\sin^{-1} 0.8 = 53^\circ$ (度)
- ★3桁区切り $123,456.3 \times 789,456.9 = 97,463,427,883.47$
- ★複素数演算 $(3 + i)(3 - i) = 10$ $e^{\pi i} = -1 - 4.10206857034707 \times 10^{-10} i$ (虚数単位 i)
 $\sqrt{-1} = j$ $\left(e^{\frac{\pi}{2} j} \right)^2 = -1 - j 4.10206857034707 \times 10^{-10}$ (虚数単位 j)
- ★数学記号を含む式
 $\sum_{n=1}^{1000} \frac{1}{n(n+1)} = 0.999000999$ $\sum_{l=1}^2 \sum_{m=1}^3 \sum_{n=m}^4 lmn = 127$ $\prod_{n=1}^{15} n = 1307674368000$
 $\int_0^1 x dx = 0.5$ $|456 \times 789 - 12345 \times 899| = 10738371$
 $10! = 3628800$ ${}_{10}P_2 = 90$ ${}_5C_2 = 10$
- ★素因数分解 $120 = 2^3 \times 3 \times 5$ $60 \times 2 = 2^3 \times 3 \times 5$ $1024000 = 2^{13} \times 5^3$